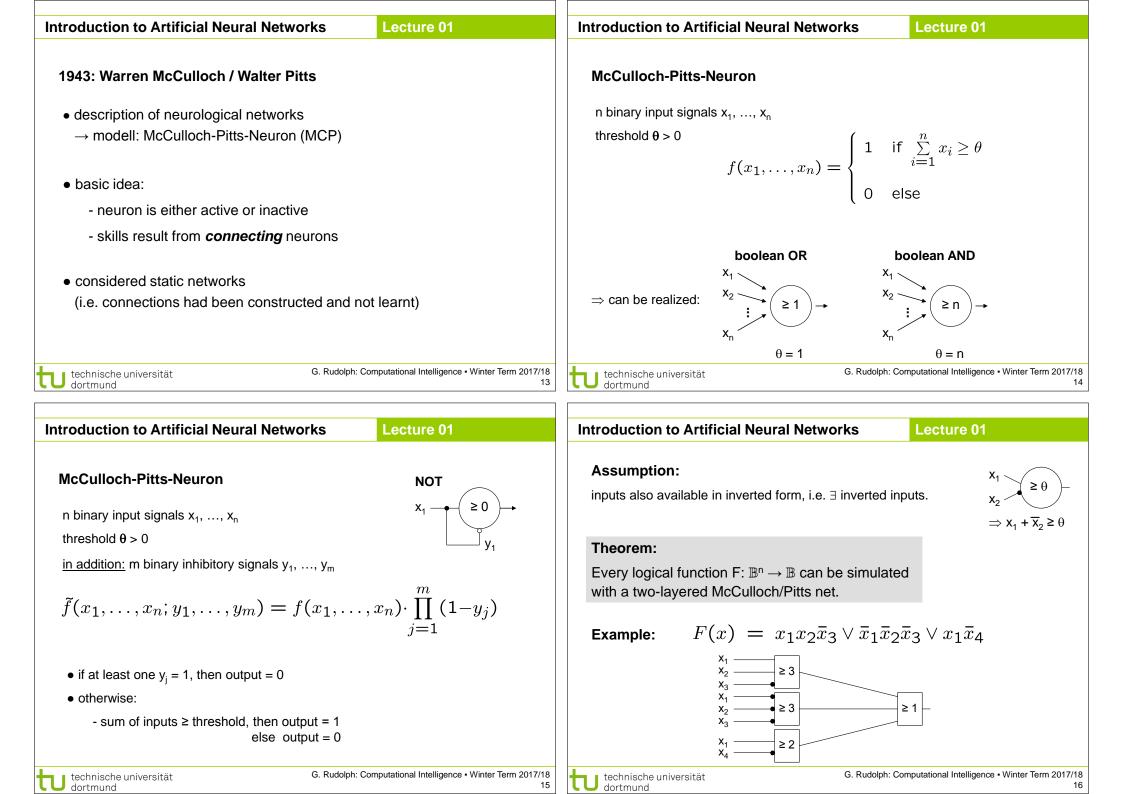


Organizatio	nal Issues		Lecture 01	Organizational Issues	Lecture 01
•	Wednesday either Thursday gr Friday Vanessa Volz Vanessa Volz 1 511-www.cs.tu-don 2 1 2 1 2 2 3 2 3 3 3 4 5 1 5 5 1 1 1 5 1 1 1 1 1 1 1 1 1 1 1 1 1	rtmund.de/peop 017-18/lecture		Exams Effective since winter term 2014/15: w Informatik, Diplom: Leistungsnachw Informatik, Diplom: Fachprüfung Informatik, Bachelor: Module Automation & Robotics, Master: Mod mandatory for registration to written e	weis → Übungsschein → written exam (90 min) → written exam (90 min) dule → written exam (90 min)
technische u dortmund		G. Rudolph:	Computational Intelligence • Winter Term 2017/18 5 Lecture 01	technische universität dortmund Overview "Computational Intelligene	G. Rudolph: Computational Intelligence • Winter Term 2017/18
Knowledg • mathem • program • logic is helpful.	atics, iming,			What is CI ? ⇒ umbrella term for computational r • artifical neural networks • evolutionary algorithms	methods inspired by nature
But what • covered	<b>if something is unkr</b> in the lecture to literature	nown to me?		<ul> <li>fuzzy systems</li> <li>swarm intelligence</li> <li>artificial immune systems</li> <li>growth processes in trees</li> <li></li> </ul>	new developments
·	n't hesitate to ask!				
tu technische u dortmund	universität	G. Rudolph:	Computational Intelligence • Winter Term 2017/18 7	technische universität dortmund	G. Rudolph: Computational Intelligence • Winter Term 2017/18

Overview "Computation	al Intelligence"	Lecture 01	Introduction to Artificial Neural Networks	Lecture 01
• originally intended as a		<sup>-</sup> by John Bezdek (FL, USA) outational intelligence	Biological Prototype     Neuron     Information gathering (D)     Information processing (C)	human being: 10 <sup>12</sup> neurons electricity in mV range speed: 120 m / s
<ul> <li>nowadays: blurring bore</li> </ul>	der		- Information propagation (A / S)	
<ul><li>our goals:</li><li>1. know what CI method</li><li>2. know when refrain from</li><li>3. know why they work at</li><li>4. know how to apply an</li></ul>	m CI methods! at all! id adjust CI methods to		cell body (C) nucleus dendrite (D)	synapse (S)
U technische universität dortmund	·	Computational Intelligence • Winter Term 2017/18 9 Lecture 01	G. F dortmund	Rudolph: Computational Intelligence • Winter Term 201
Abstraction			Model	
dendrites	nucleus / cell body	axon synapse	$x_1$ $x_2$ $x_2$ function f $x_n$	$f(x_1, x_2,, x_n)$
signal input	signal processing	signal output	$\begin{array}{l} McCulloch-P\\ x_{i} \in \{ \ 0, \ 1 \ \} =\\ f \colon \mathbb{B}^{n} \to \mathbb{B} \end{array}$	Pitts-Neuron 1943: ::

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ntroduction to Artificial Neural Networks	Lecture 01	Introduction to Artificial Neural Networks	Lecture 01	
<b>Proof:</b> (by construction) Every boolean function F can be transformed in disju	unctive normal form	Generalization: inputs with weights		
<ul> <li>⇒ 2 layers (AND - OR)</li> <li>1. Every clause gets a decoding neuron with θ = n ⇒ output = 1 only if clause satisfied (AND gate)</li> <li>2. All outputs of decoding neurons are inputs of a neuron with θ = 1 (OR gate)</li> </ul>	q.e.d.	$x_{2} \xrightarrow{0,4} \geq 0,7$ $x_{3} \xrightarrow{0,3} \geq 0,7$ $2 x_{1}$ $du$ $x_{1} \xrightarrow{x_{2}} \geq 7$	+ 0,4 $x_2$ + 0,3 $x_3 \ge 0,7$   • 10 + 4 $x_2$ + 3 $x_3 \ge 7$ ↓ uplicate inputs!	
G Budalah	Computational Intelligence • Winter Term 2017/18	G Rudoloh:	O	
U dortmund	Lecture 01	G. Rudolph: dortmund	Lecture 01	
ntroduction to Artificial Neural Networks Theorem:	17 Lecture 01		Computational Intelligence • Winter Term 2017,	
ntroduction to Artificial Neural Networks	Lecture 01 alent for weights $\in \mathbb{Q}^+$ .	Introduction to Artificial Neural Networks	Lecture 01	
Introduction to Artificial Neural Networks         Theorem:         Weighted and unweighted MCP-nets are equival         Proof: $\Rightarrow$ "       Let $\sum_{i=1}^{n} \frac{a_i}{b_i} x_i \ge \frac{a_0}{b_0}$ with $a_i$ ,         Multiplication with $\prod_{i=0}^{n} b_i$ yields inequality with coertian of the second	Lecture 01 Alent for weights $\in \mathbb{Q}^+$ . $b_i \in \mathbb{N}$	Introduction to Artificial Neural Networks Conclusion for MCP nets + feed-forward: able to compute any Boolean + recursive: able to simulate DFA - very similar to conventional logical circuits - difficult to construct	Lecture 01	
<b>Theorem:</b> Weighted and unweighted MCP-nets are equival <b>Proof:</b> $_{,\Rightarrow}$ " Let $\sum_{i=1}^{n} \frac{a_i}{b_i} x_i \ge \frac{a_0}{b_0}$ with $a_i$ , Multiplication with $\prod_{i=0}^{n} b_i$ yields inequality with coe Duplicate input $x_i$ , such that we get $a_i b_1 b_2 \cdots b_{i+1} b_{i+1}$ Threshold $\theta = a_0 b_1 \cdots b_n$	Lecture 01 Alent for weights $\in \mathbb{Q}^+$ . $b_i \in \mathbb{N}$	Introduction to Artificial Neural Networks Conclusion for MCP nets + feed-forward: able to compute any Boolean + recursive: able to simulate DFA - very similar to conventional logical circuits	Lecture 01	
Introduction to Artificial Neural Networks         Theorem:         Weighted and unweighted MCP-nets are equival         Proof: $_{,\Rightarrow}$ "         Let $\sum_{i=1}^{n} \frac{a_i}{b_i} x_i \ge \frac{a_0}{b_0}$ with $a_i$ ,         Multiplication with $\prod_{i=0}^{n} b_i$ yields inequality with coe         Duplicate input x <sub>i</sub> , such that we get a <sub>i</sub> b <sub>1</sub> b <sub>2</sub> b <sub>i-1</sub> b <sub>i+1</sub>	Lecture 01 Alent for weights $\in \mathbb{Q}^+$ . $b_i \in \mathbb{N}$	Introduction to Artificial Neural Networks Conclusion for MCP nets + feed-forward: able to compute any Boolean + recursive: able to simulate DFA - very similar to conventional logical circuits - difficult to construct	Lecture 01	

